

The FERMI LLRF System

(and a method for controlling distortion)

Tony Rohlev Larry Doolittle

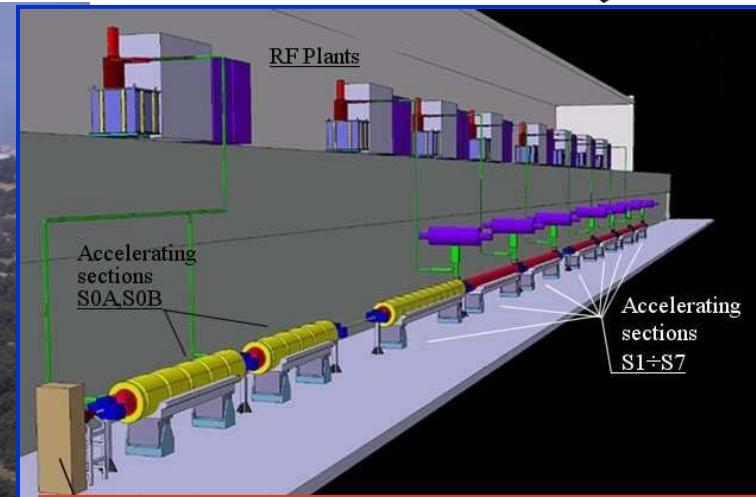
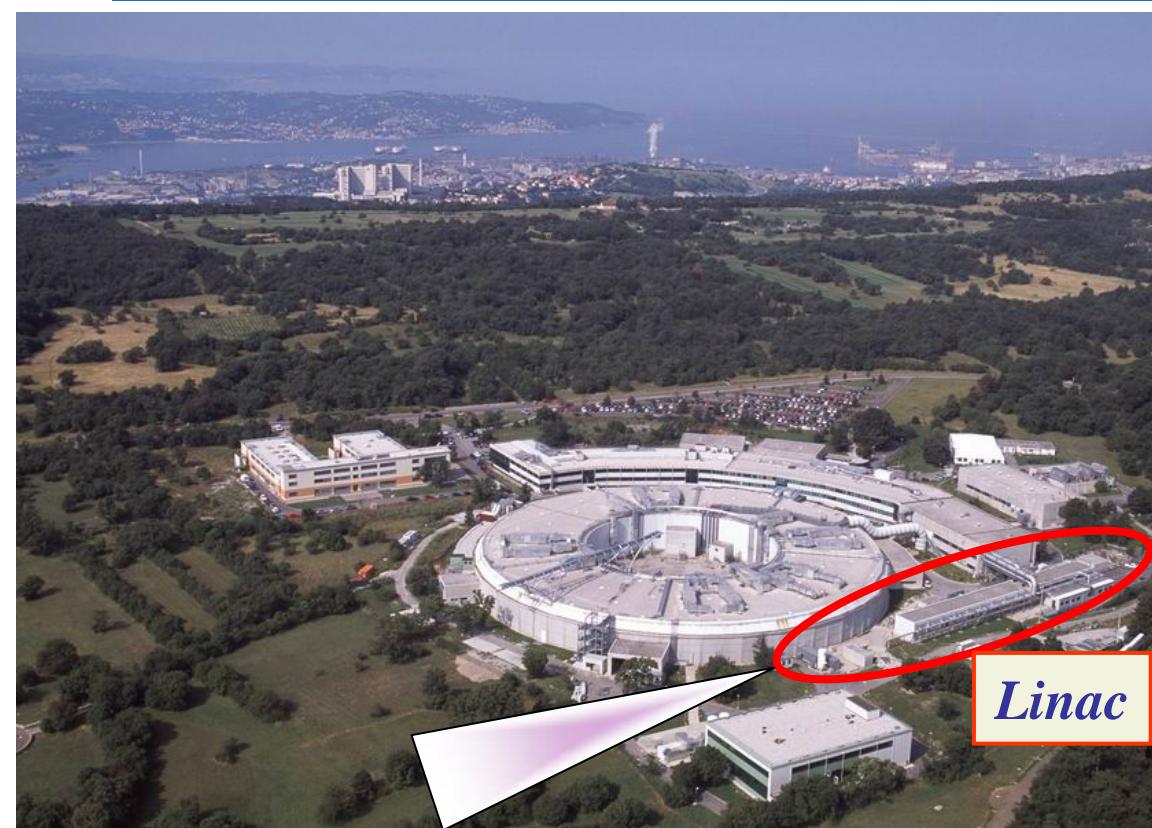


Knoxville October 23, 2007

- *The FERMI Linac (with its intolerant tolerances)*
- *The proposed FLLRF system (full of tricks, new and old)*
- *Correcting hardware with software (one such trick)*

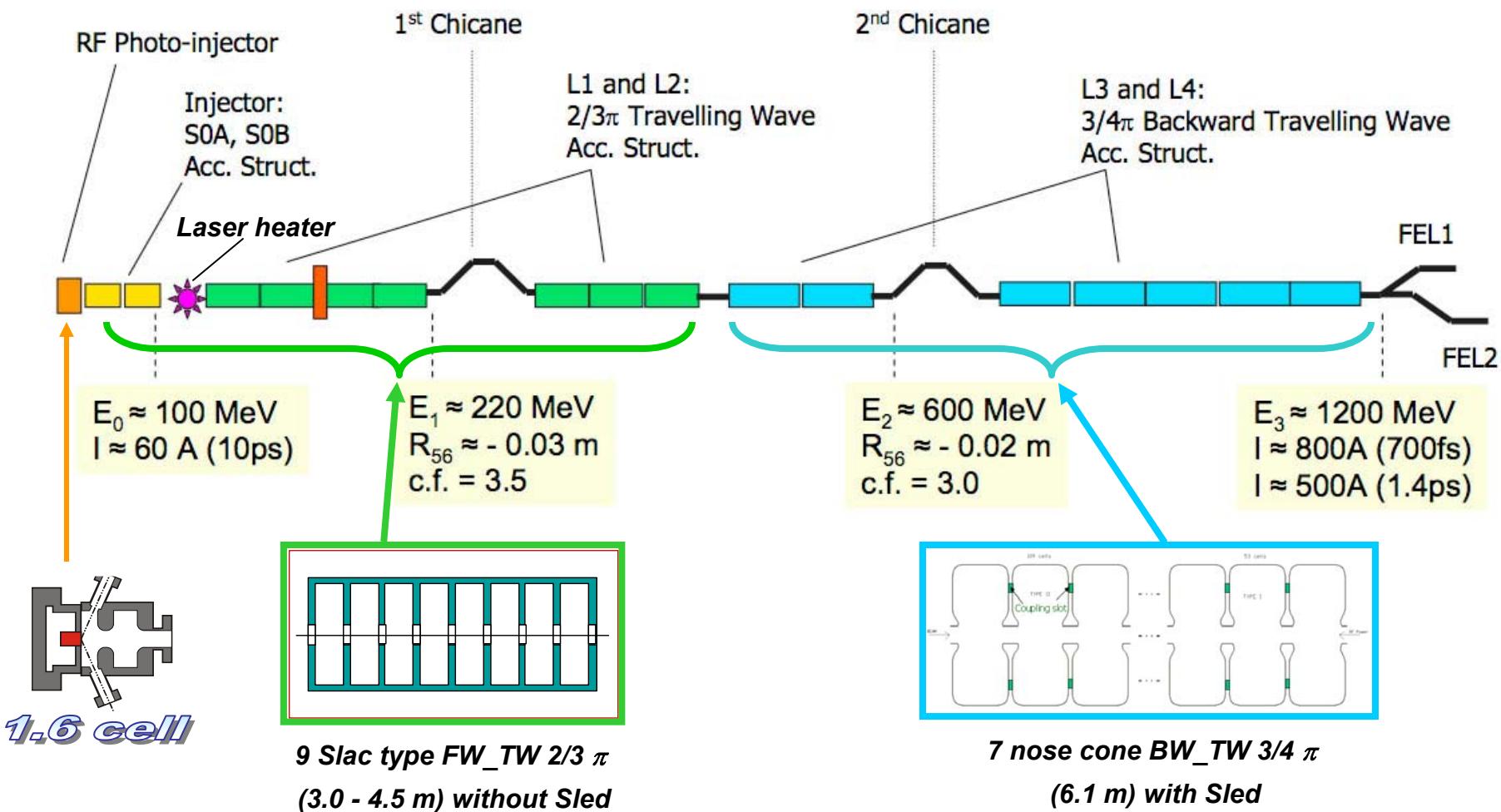
- Development of a single-pass FEL User Facility based on the existing Normal Conducting S-band Linac.
- Fixed beam energy (1.2 GeV), 50 Hz pulse rep. rate, 1 e-bunch/pulse.
- Seeded operation with Harmonic Generation.
- Spectral range:
 - Phase I 100 – 40 nm, single stage FEL-1
 - Phase II 40 – 10 nm, two stages FEL-2
- Short sub-ps pulses \leq 200 fs, and long pulses, up to 1.4 ps (flat part).
- Flexible polarization, gap tuning, apple type undulators.

	Medium pulse	Long pulse	
Electron beam parameter	Value		Units
Beam energy	1.2		GeV
Peak current	800	500	A
Extracted charge	0.3	1.0	nC
Uncorrelated energy spread	\leq 200		KeV
Normalized emittance (slice)	\leq 1.5		mm mrad
Bunch length	0.7	up to 1.4	ps

**Available:**

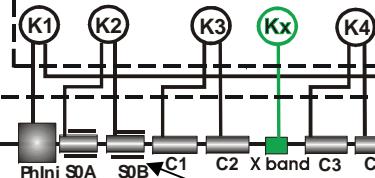
- 8 Klystron stations;
- 9 Accelerating sections:
 - 2 FW_TW 3 m
 - 7 BW_TW 6 m
- 7 Accelerating sections donated by CERN.

**Klystron gallery****Linac tunnel**

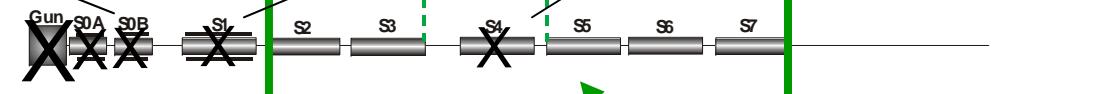


X-band system**FERMI layout**

14 S-band RF plants (45 MW)
+
1 X-band RF plant (≥ 30 MW)
+
16 Accelerating structures

Klystron gallery extension**Machine tunnel extension**

85 m

New Machine Front-end**Existing layout****Equipment location left unchanged**

- Linac: NC, pulsed @ 50 Hz, 150 meters long
- RF Plants: 15 total (7 @ 2 cav/kly, 8 @ 1 cav/kly)
- Beam: e⁻, 800 A pk, <1.4 ps long, 1 bunch/pulse, so:
essentially invisible to LLRF system
- RF: 4.5 μ s pulses, 800 to 1200 ns fill time for S structures,
100ns fill time for X structure
- Transport delay: 95 ns for single cavity, 150 ns for dual (rt)
- Control type: Feed-forward (open-loop) for each pulse
Feedback (adaptive learning) pulse to pulse PtP

Using the tolerance budgets in table all of the requirements will be met at the same time:

$$|\Delta I/I_0| < 10\% \quad |\Delta E/E_0| < 0.1\% \quad |\Delta t| < 150\text{fsec}$$

(RMS values)

Tolerance budgets

There are three possible tolerance budgets. If the smaller tolerance from each column is applied (bold-type) all requirements will be met in the same time.

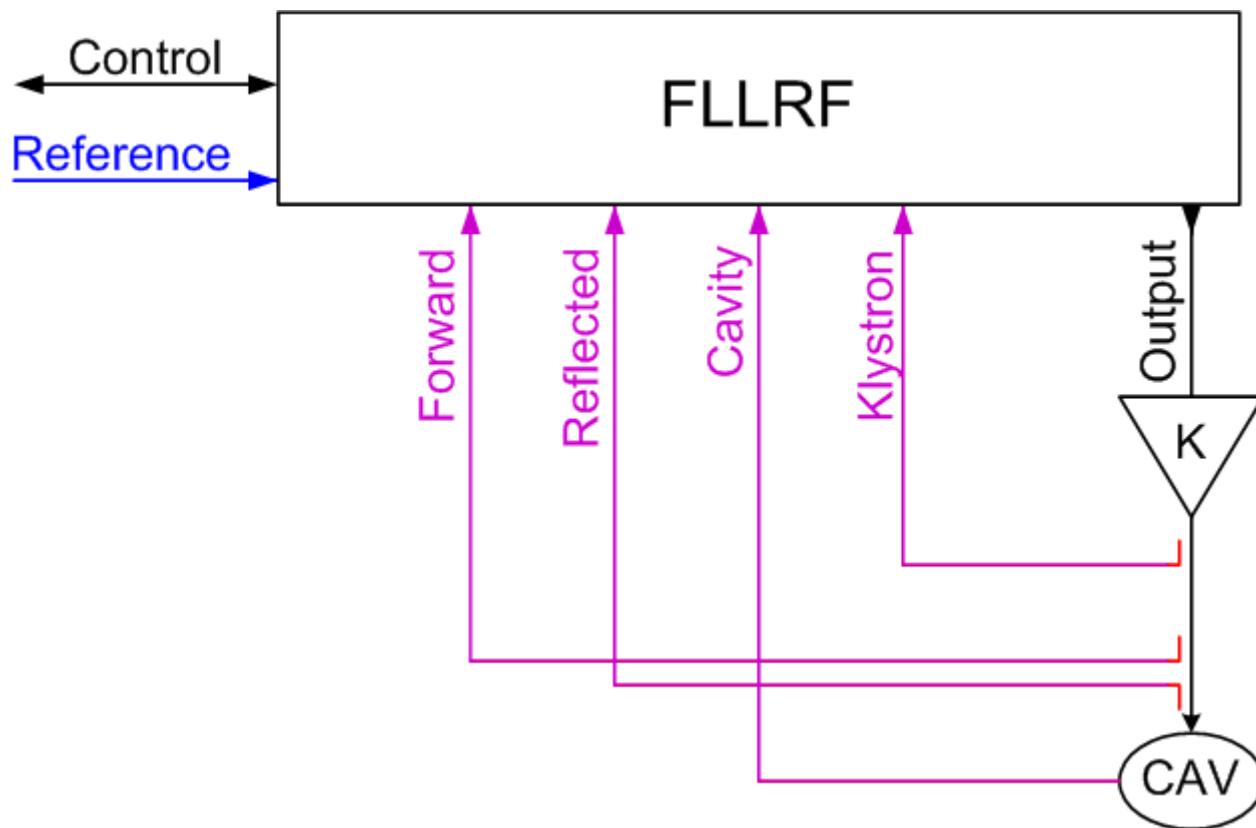
Parameter	Sy.	Unit	$ \Delta I/I_0 = 10\%$	$p_{sen}^{ \Delta E/E_0 = 0.1\%}$	$ \Delta t = 150\text{fsec}$	$p_{tol}^{ \Delta I/I_0 < 10\%}$	$p_{tol}^{ \Delta E/E_0 < 0.1\%}$	$p_{tol}^{ \Delta t < 150\text{fsec}}$
C1-C4 RF phase (L1)	φ_1	deg	0.27	0.60	0.14	0.15	0.20	0.09
X band phase (LX)	φ_X	deg	2.57	5.35	1.74	0.30	0.30	0.30
C5-C7 RF phase (L2)	φ_2	deg	3.09	3.51	3.12	0.30	0.20	0.30
S1-S2 RF phase (L3)	φ_3	deg	1.46	0.92	0.67	0.30	0.20	0.15
S3-S7 RF phase (L4)	φ_4	deg	>20	3.04	>20	3.00	0.15	1.00
C1-C4 RF voltage (L1)	$\Delta V_1/V_1$	%	1.38	2.19	0.21	0.30	0.25	0.10
X band voltage (LX)	$\Delta V_x/V_x$	%	4.49	24.59	3.35	0.60	0.50	0.50
C5-C7 RF voltage (L2)	$\Delta V_2/V_2$	%	7.82	0.82	0.52	1.00	0.15	0.12
S1-S2 RF voltage (L3)	$\Delta V_3/V_3$	%	6.16	0.50	0.31	1.00	0.10	0.10
S3-S7 RF voltage (L4)	$\Delta V_4/V_4$	%	>20	0.20	>20	4.00	0.08	0.40
Gun timing jitter	Δt_0	psec	0.93	0.49	3.10	0.50	0.30	0.35
Initial bunch charge	$\Delta Q/Q$	%	32.25	10.31	9.71	10.00	4.00	3.00

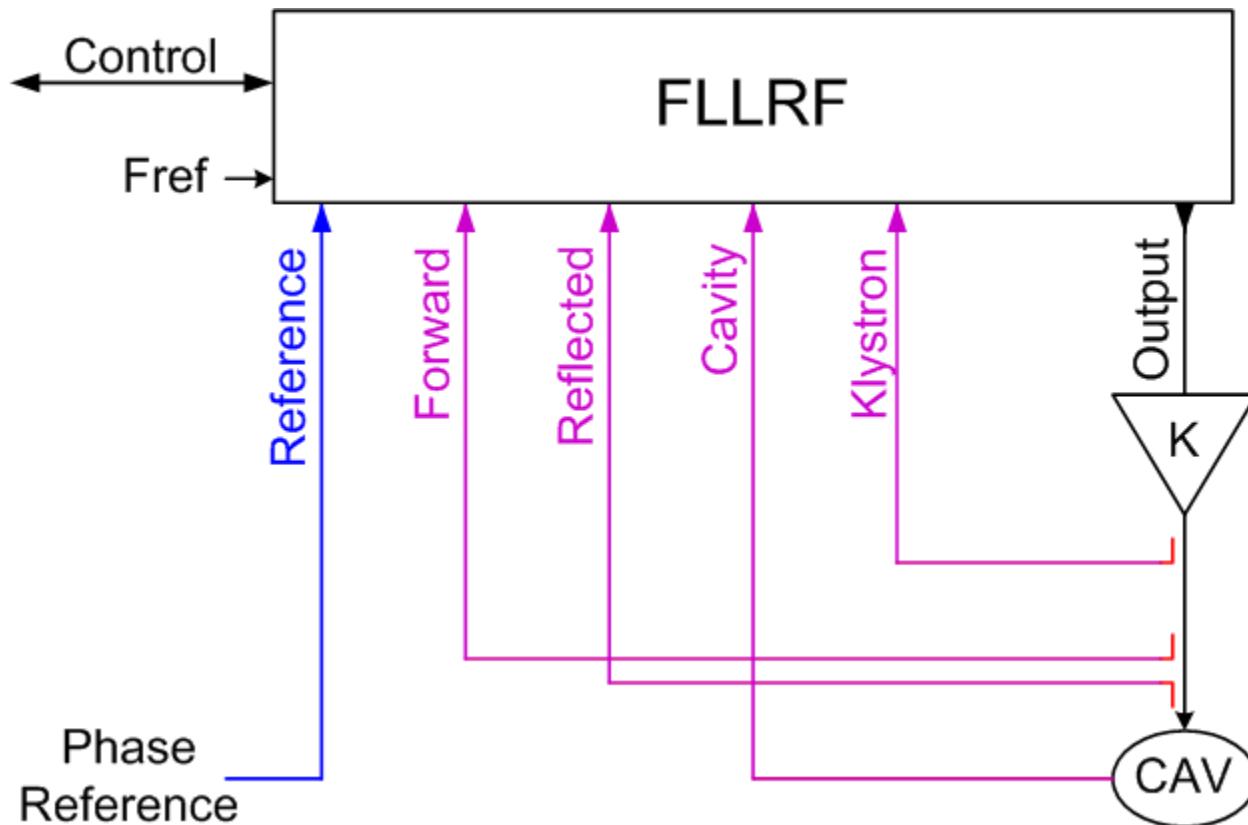
The sensitivities are used to generate a tolerance budget based on summing random, uncorrelated effects:

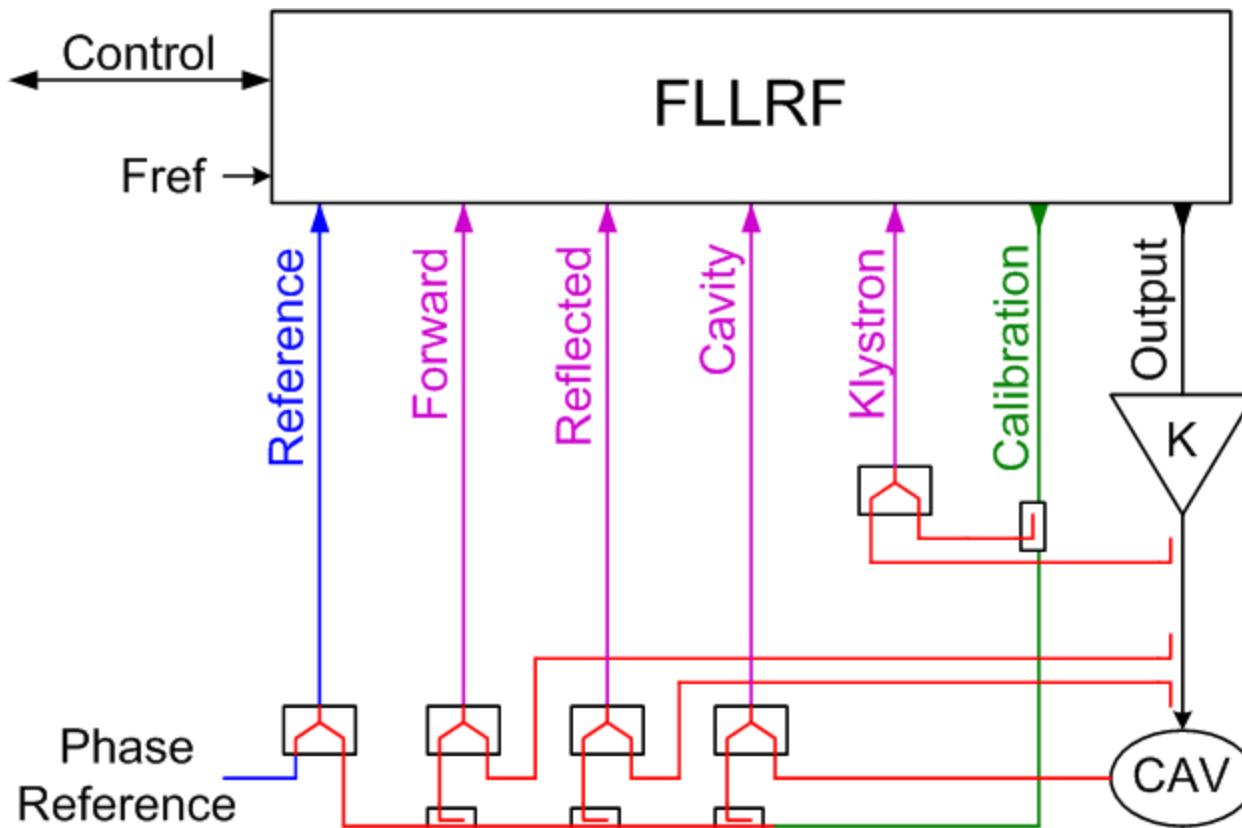
$$\sqrt{\sum_{i=1}^N \left(\frac{p_{tol}}{p_{sen}} \right)_i^2} < 1$$

The tolerance, for each parameters, are p_{tol} while p_{sen} are weighting value in the summation. If the tolerances are chosen such that, $p_{tol} < p_{sen}$ for all i , a budget is formed.

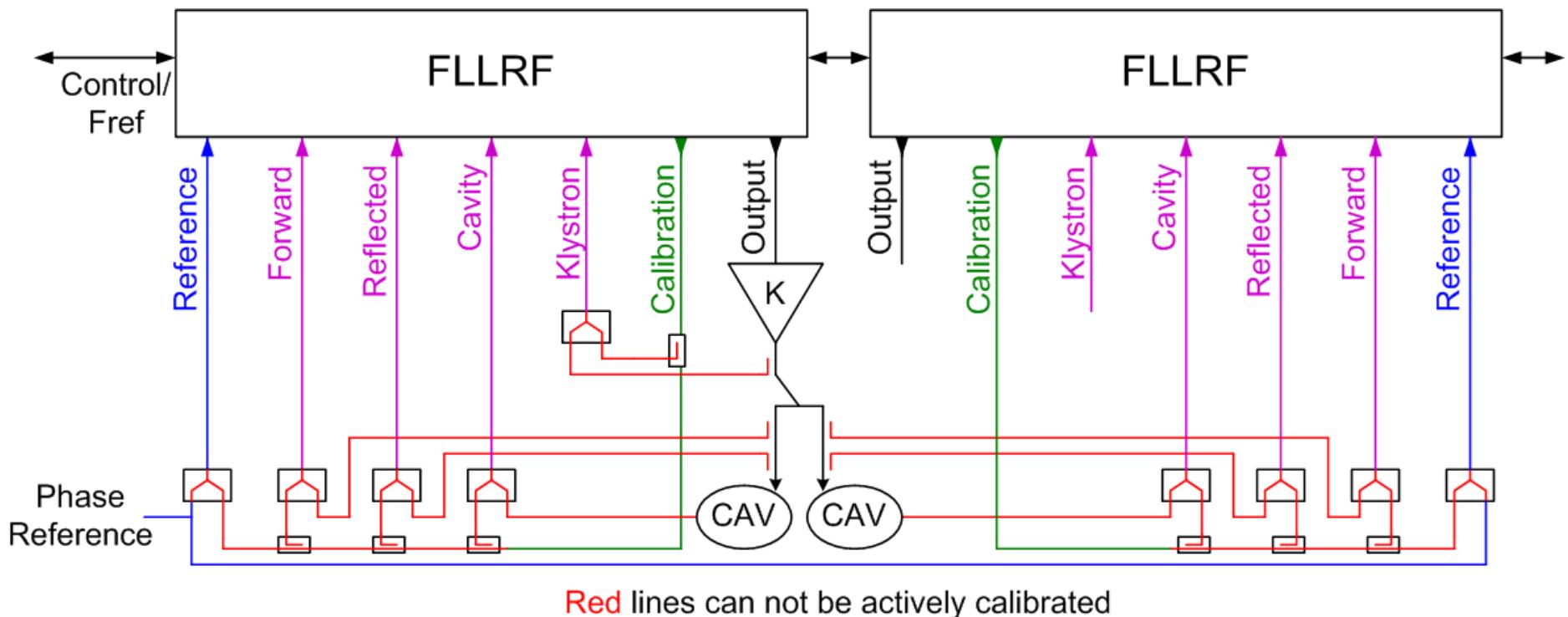
By P. Craievich 29.03.06

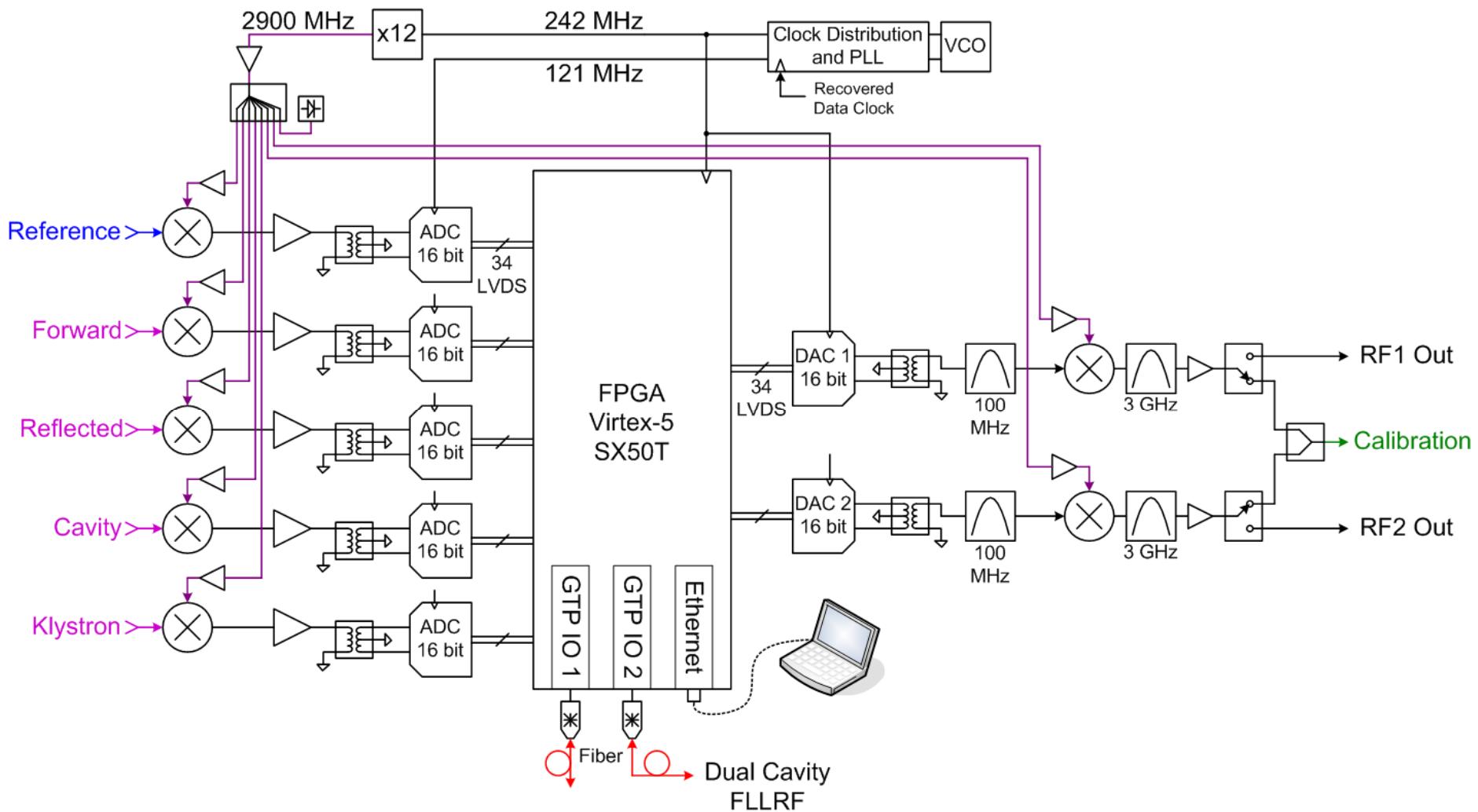


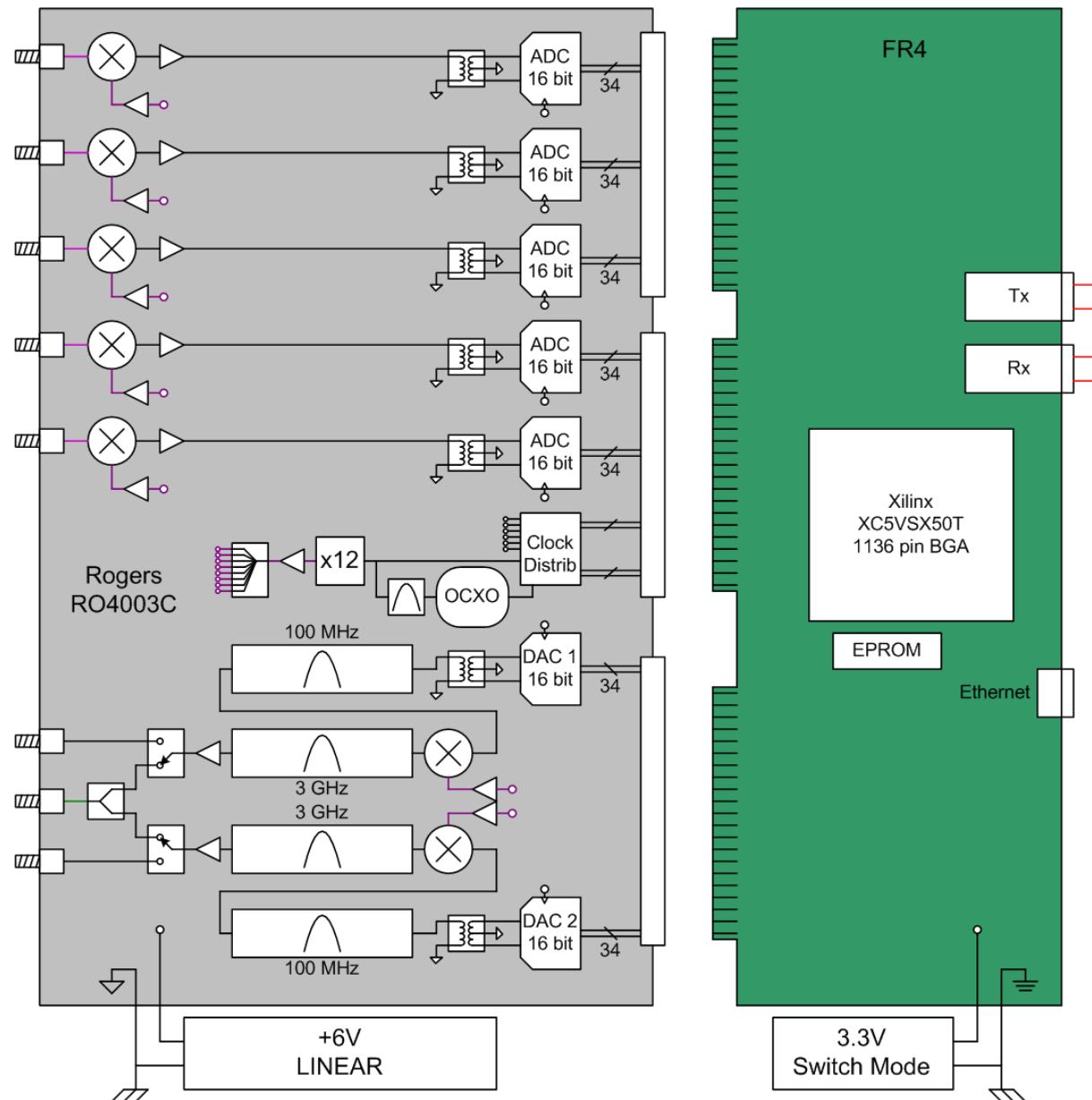


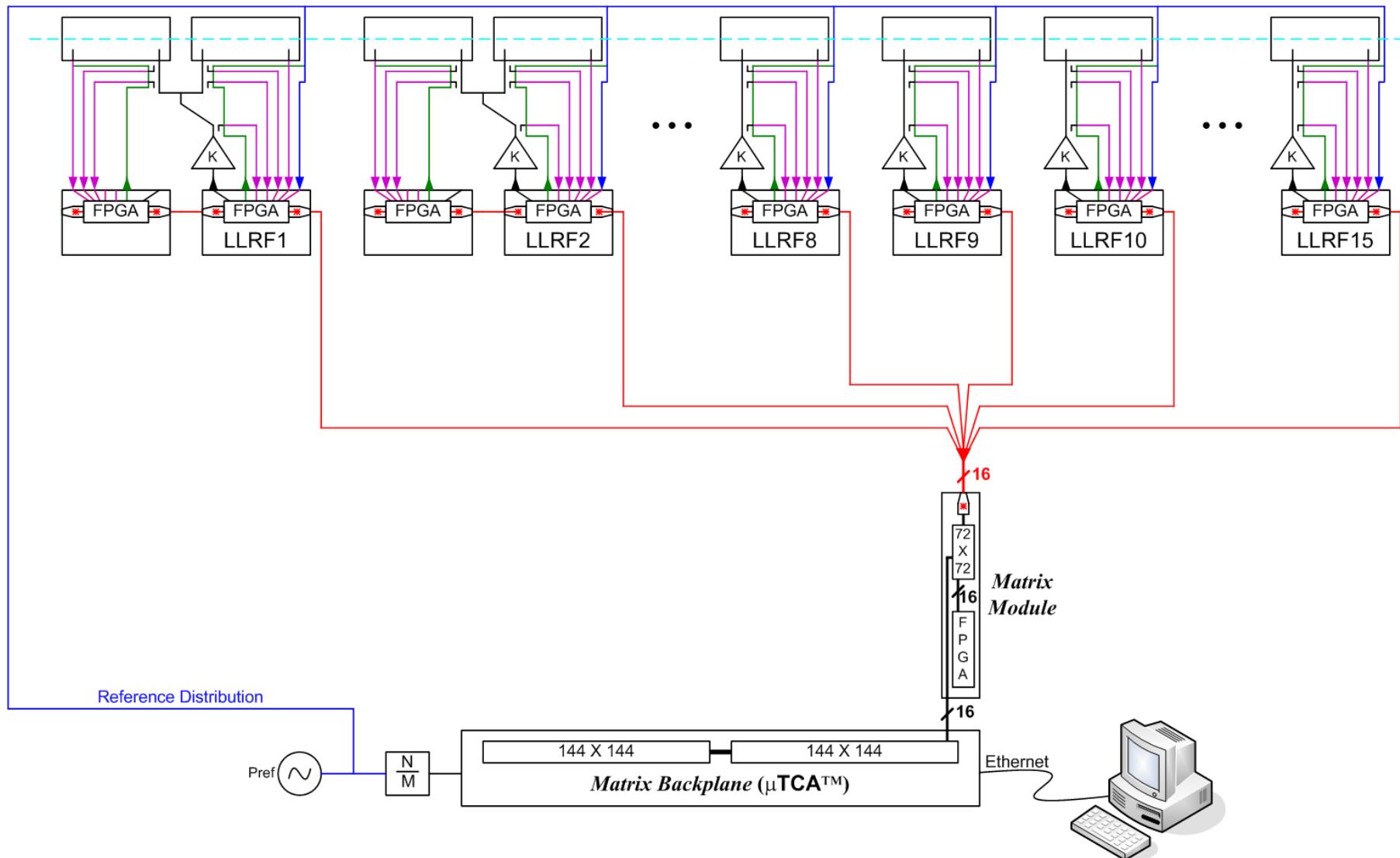


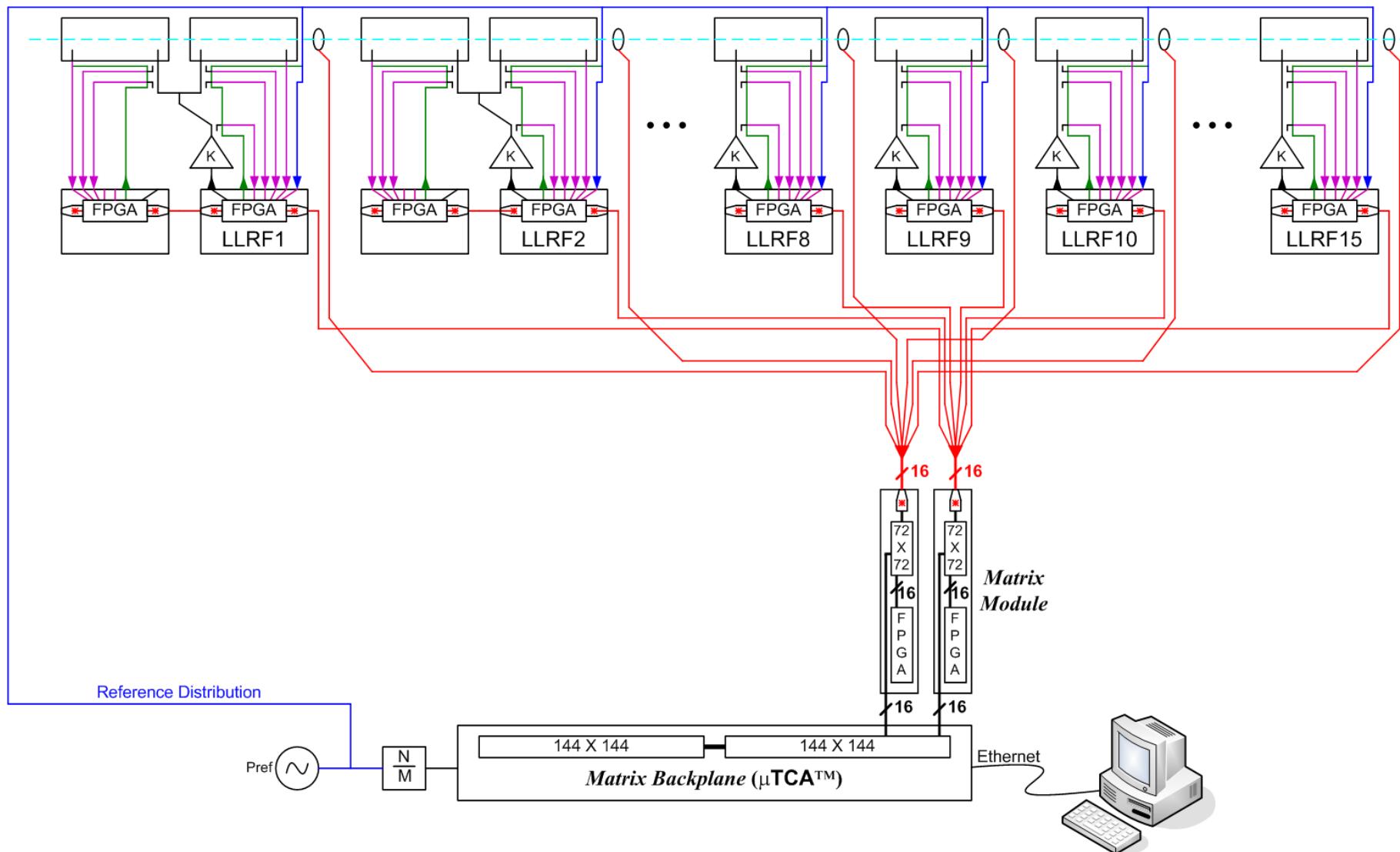
Red lines can not be actively calibrated

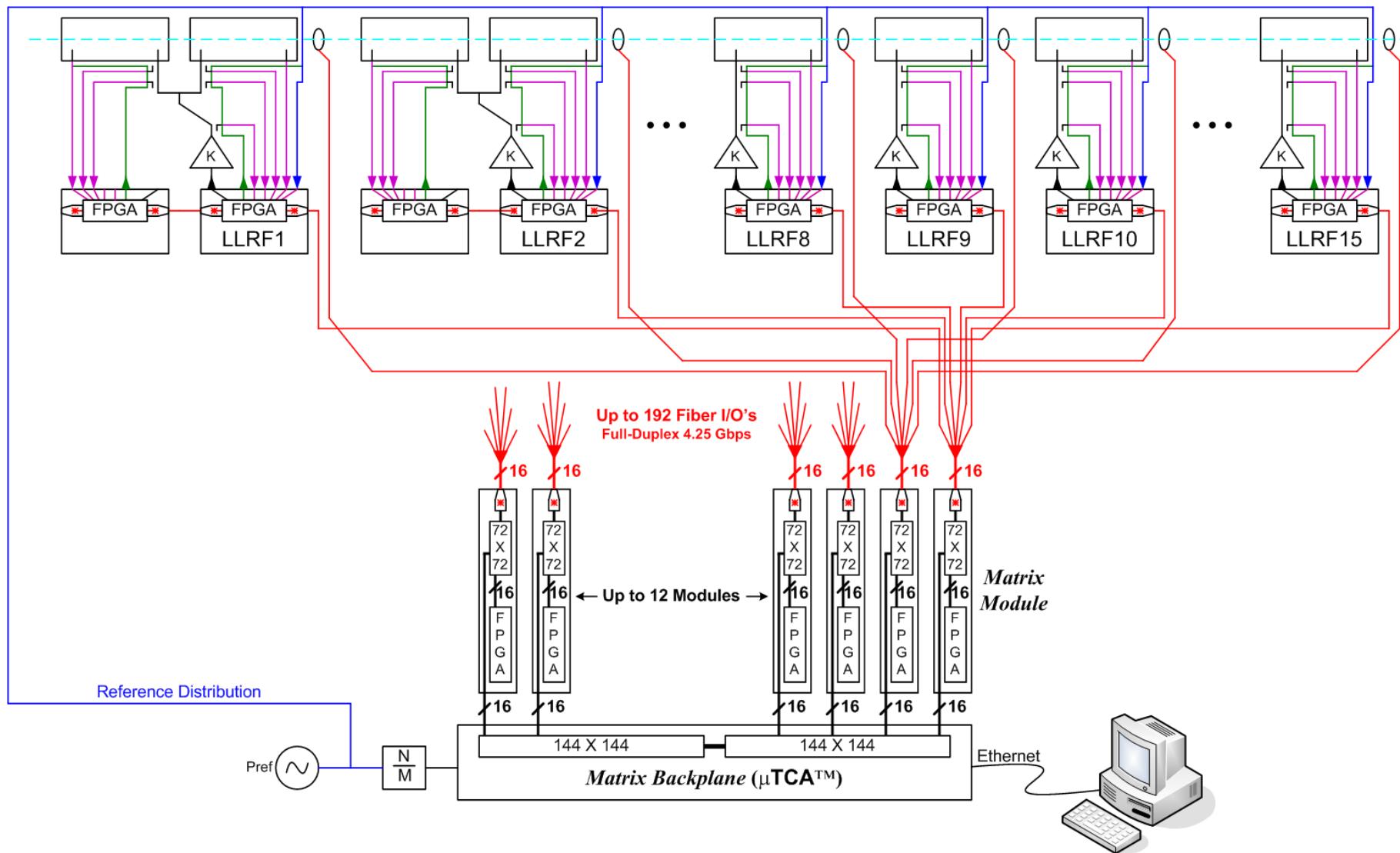






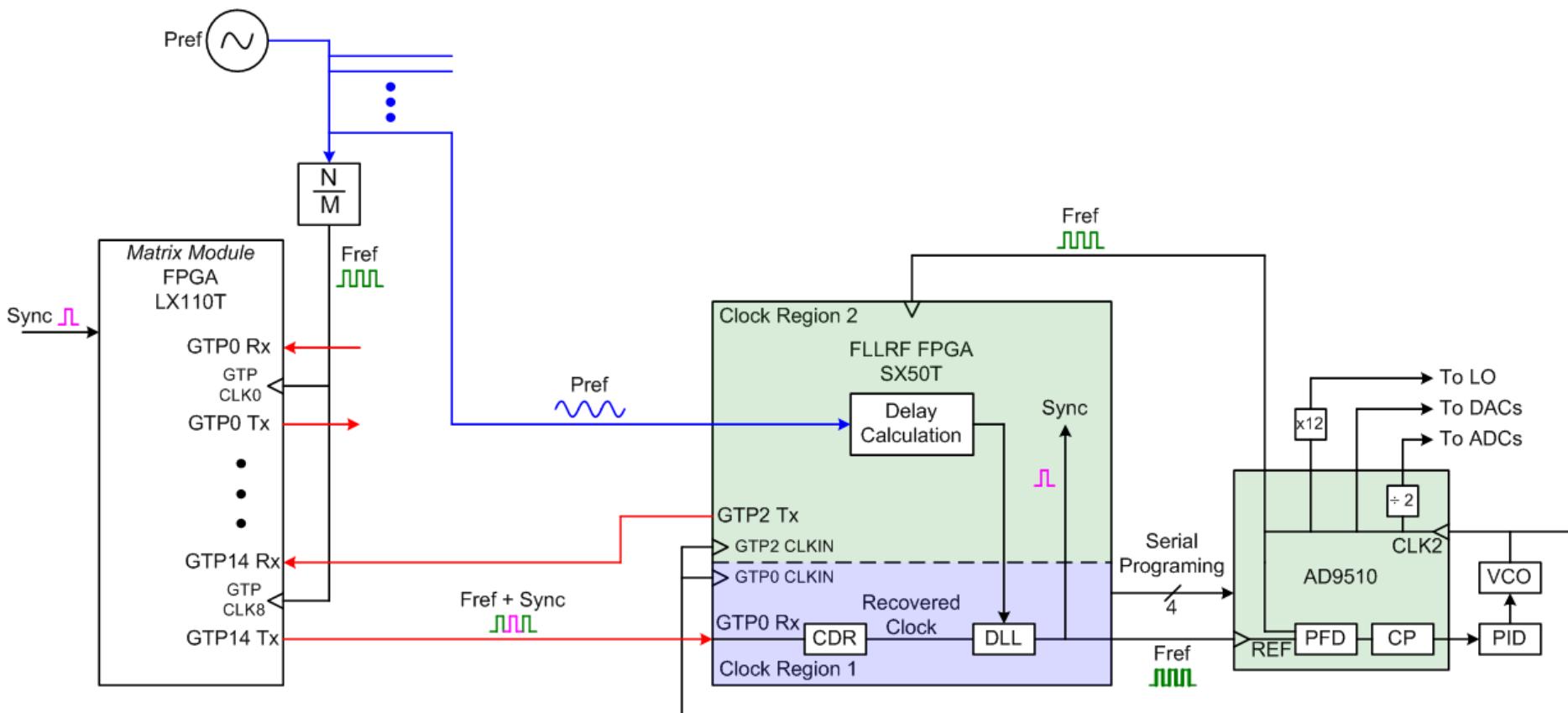


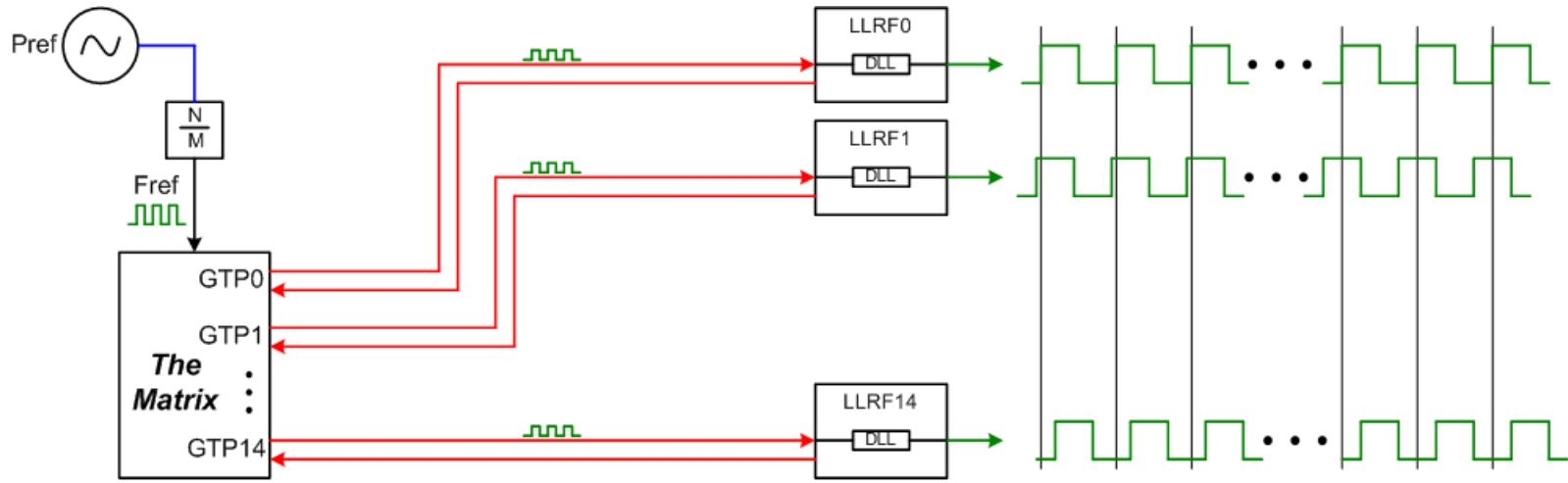
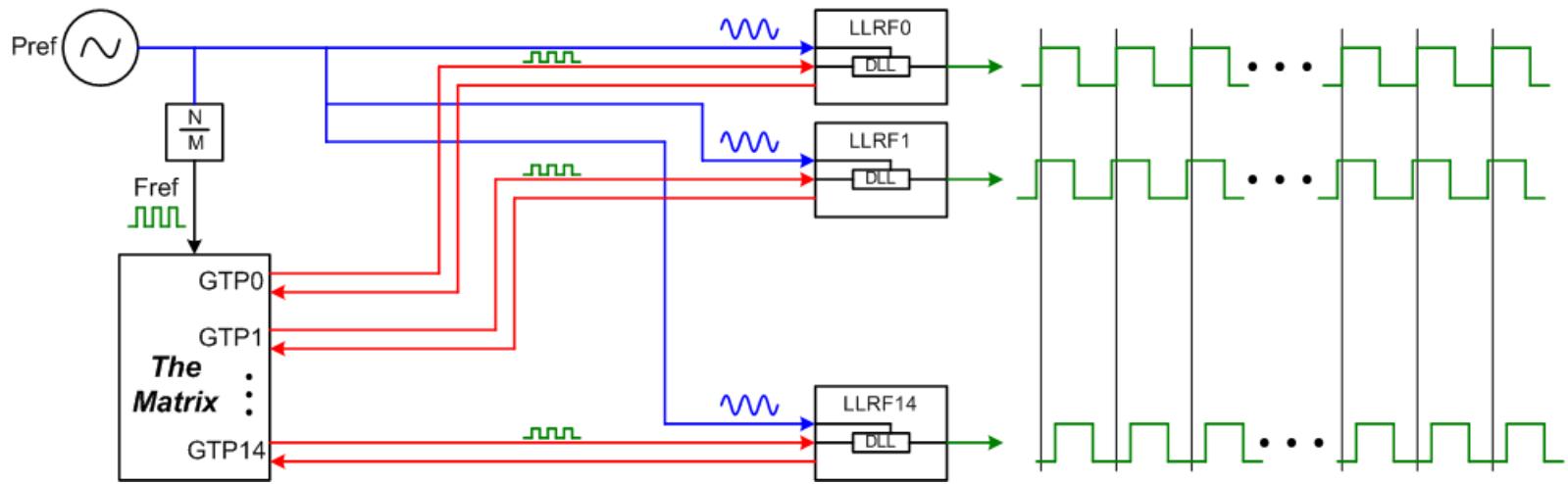




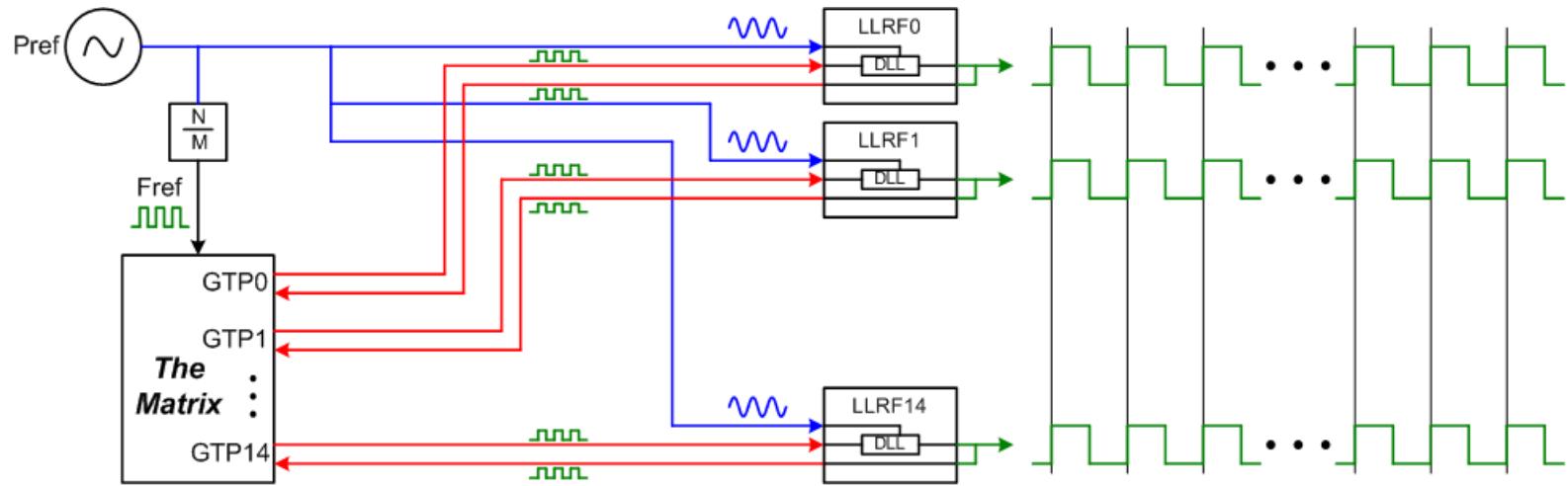




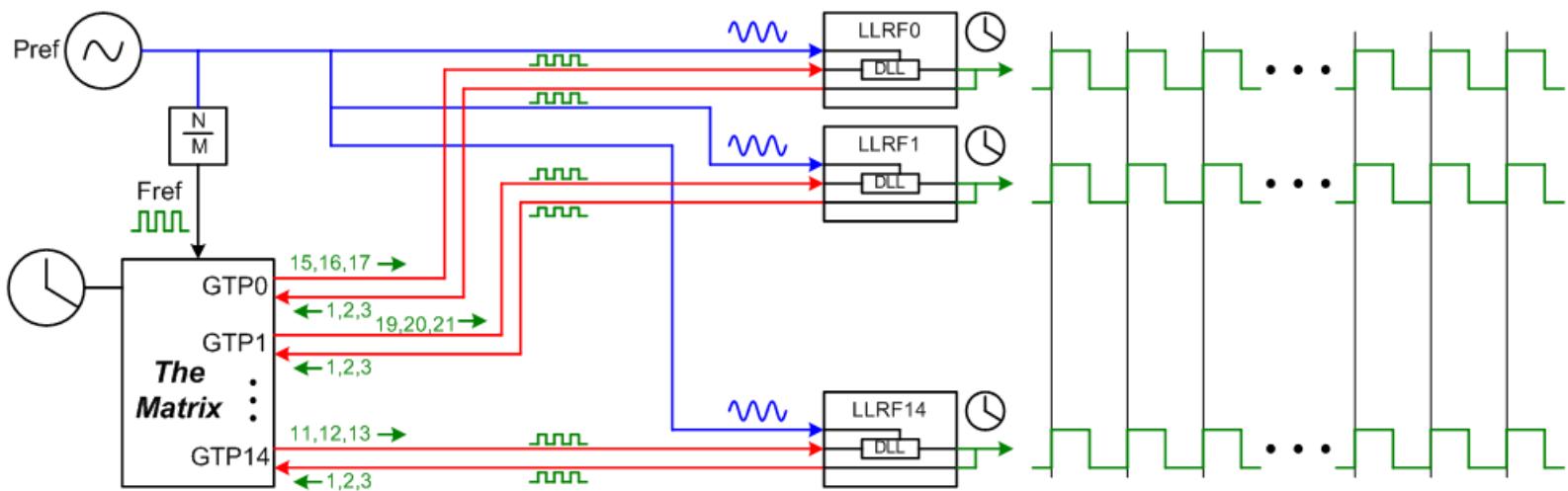


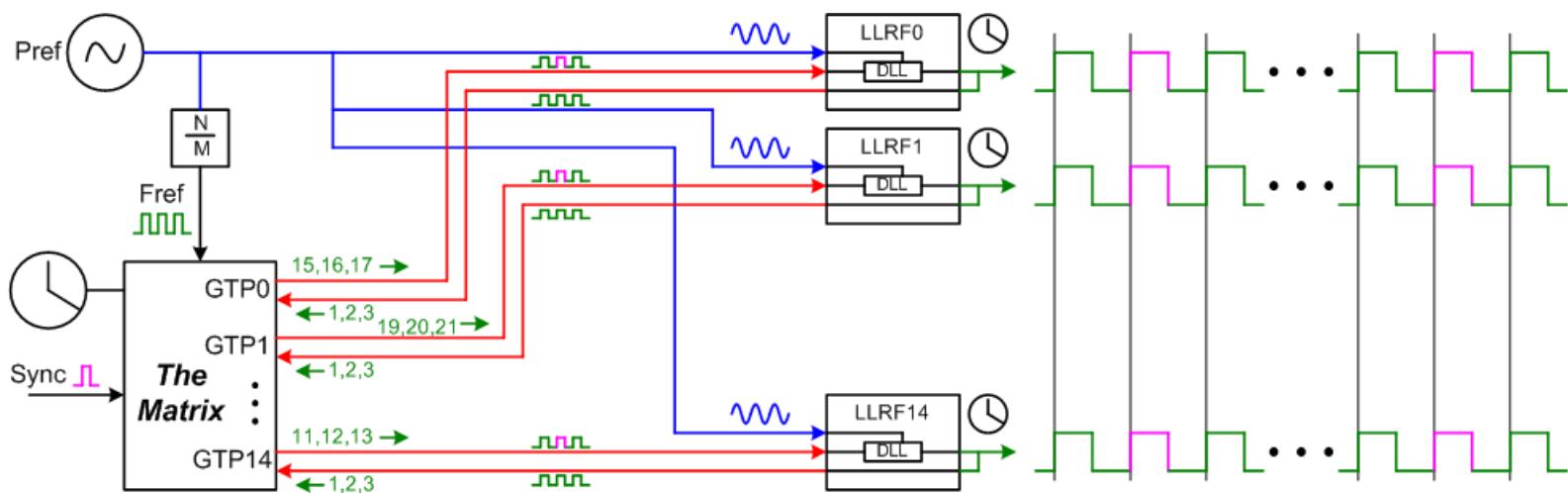
Distributing Fref*Locking to Pref*

Aligning the Phase



Setting the Time



Sending Sync Pulses

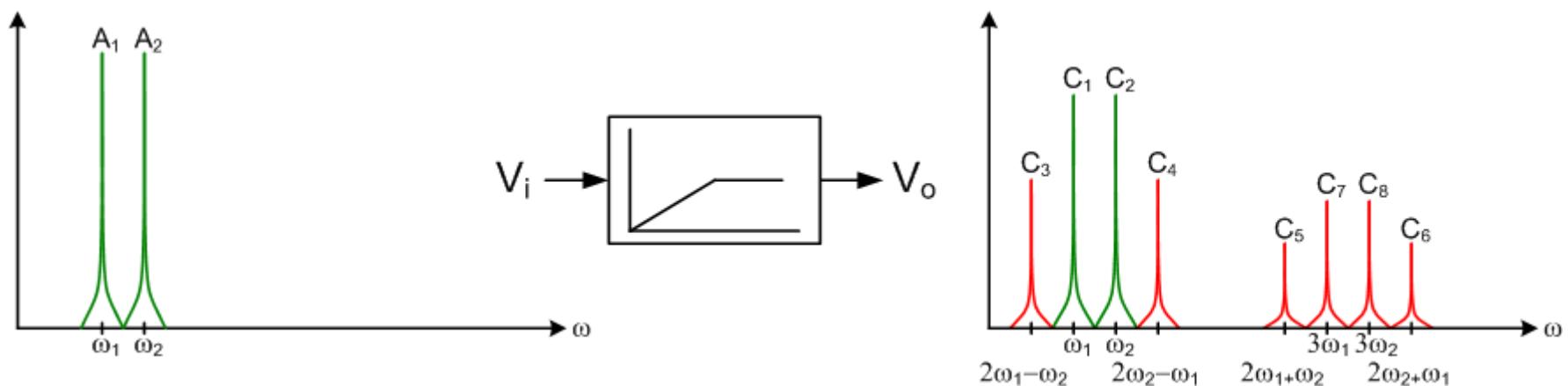
- *Algorithmic code will be done in Matlab/Simulink with Xilinx blockset or Octave (designer preference), and ported to VHDL or Verilog (designer preference).*
 - *Main cavity loop (Pulse-to-Pulse feedback with non-IQ sampling)*
 - *Klystron loop (Direct feedback with non-IQ sampling)*
 - *Calibration*
 - *Hardware error correction*
 - *Hardware co-simulation*
- *Non-algorithmic code written in either VHDL or Verilog (designer preference).*
 - *Timing and clock distribution*
 - *Diagnostics and history*
 - *Communication to The Matrix or adjacent system via GTP*
 - *Communication to local Ethernet*
 - *Other wrapping code*

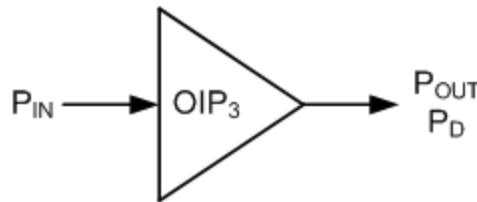
Manpower: 16 Engineers at 3 labs (ST, LBNL, CERN)

Schedule: Proof of principle prototype in 12 months

Full prototype in 18 to 24 months

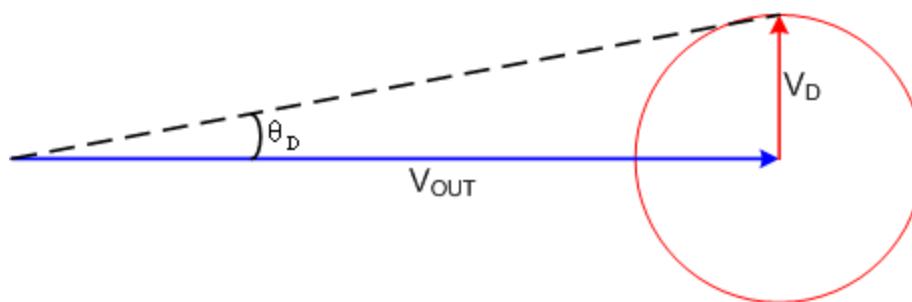






P_{IN} = Input Signal Power (dBm)
 P_{OUT} = Output Signal Power (dBm)
 P_D = 3rd Order Distortion Power (dBm)
 OIP_3 = Device Output IP₃ (dBm)

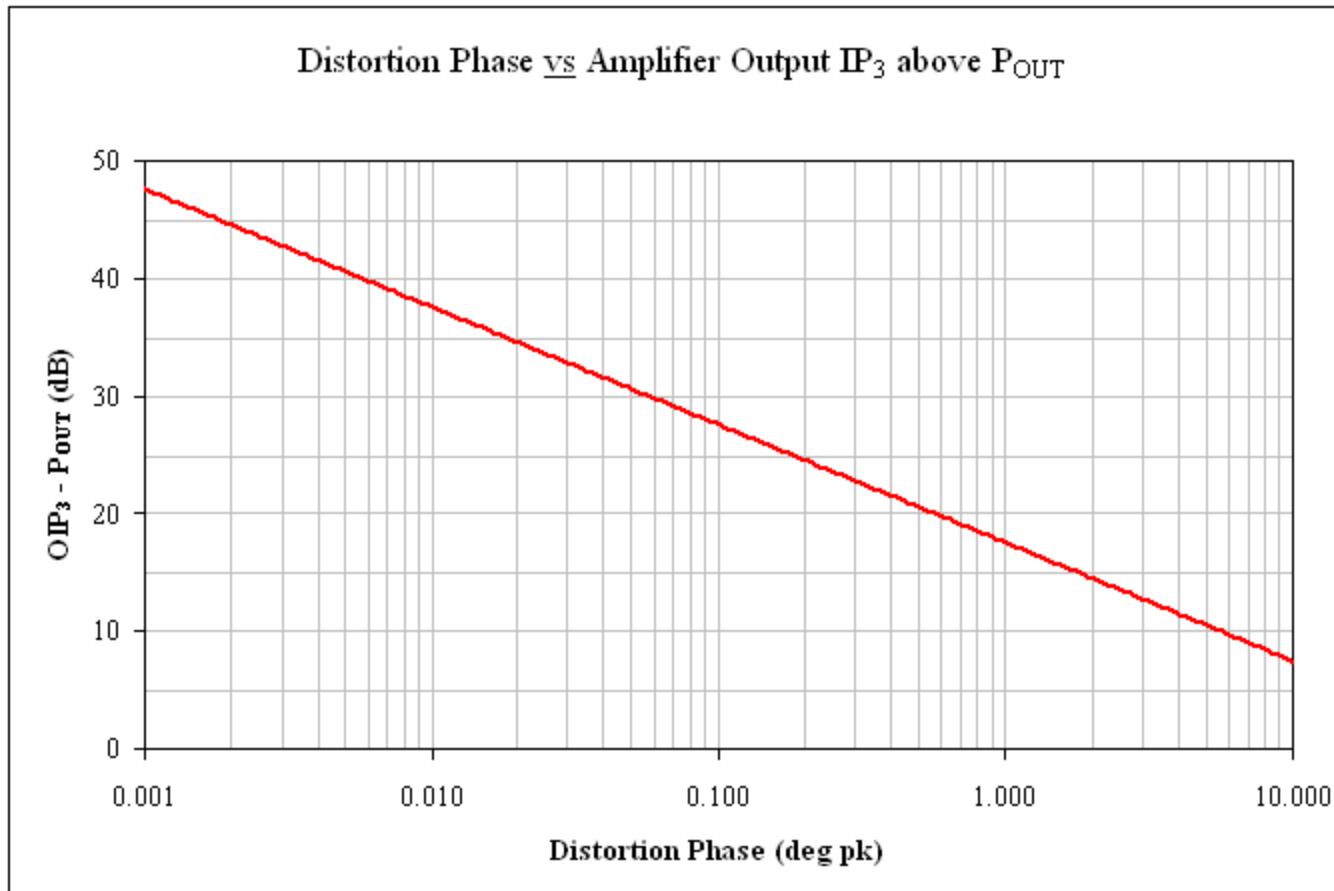
$$P_D = 3 P_{OUT} - 2 OIP_3$$

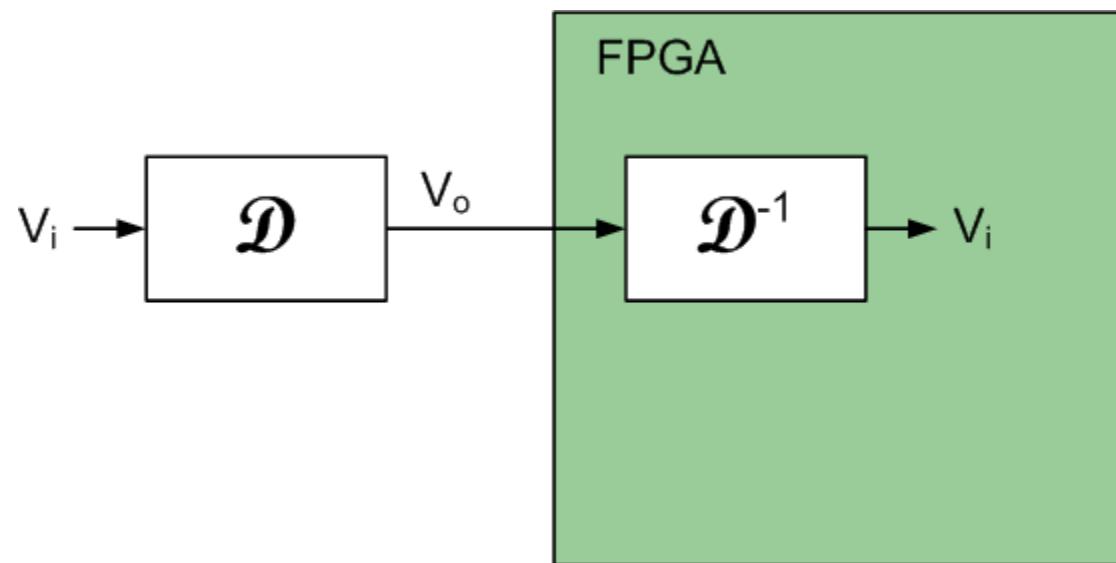


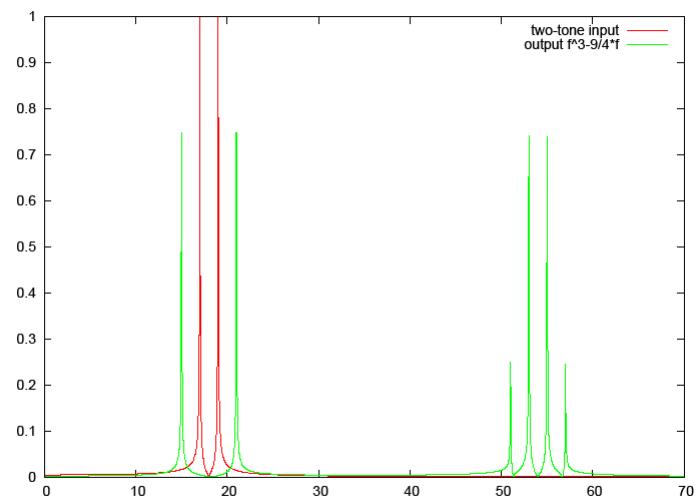
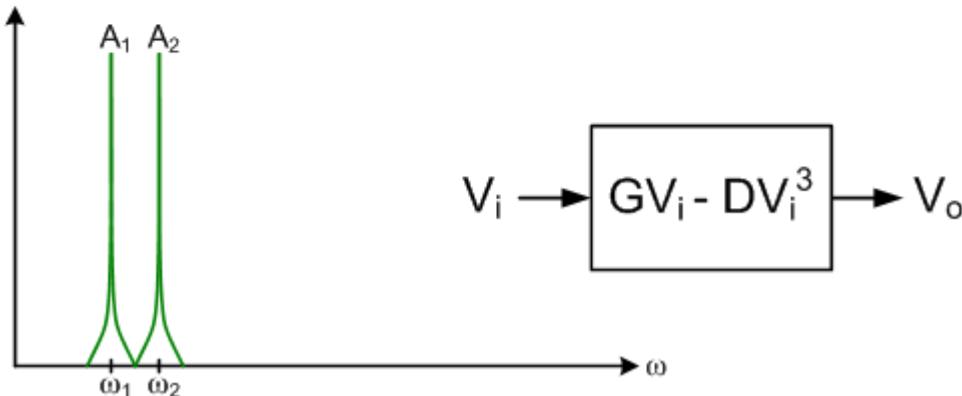
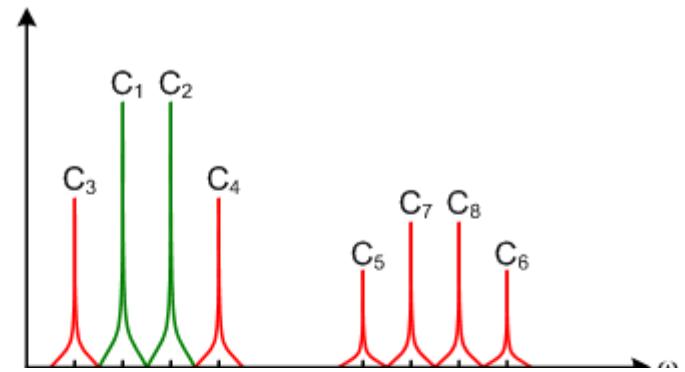
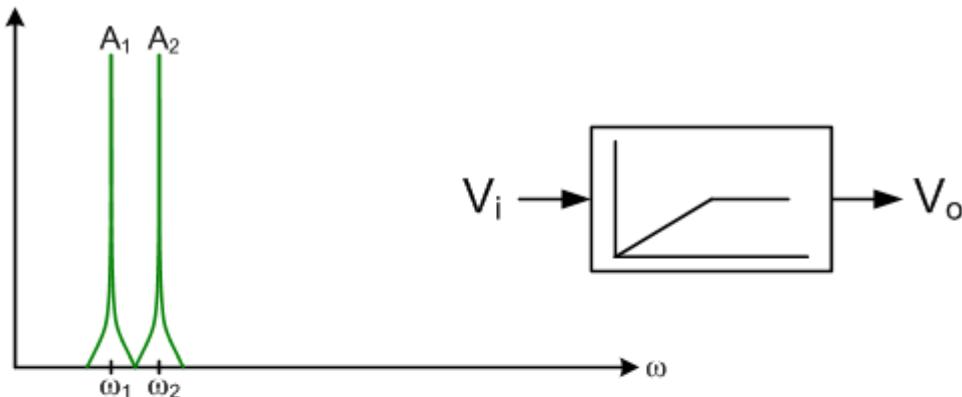
θ_{Dpk} = Distortion Phase (radians pk)
 V_{OUT} = Output Signal Voltage (V pk)
 V_D = Distortion Voltage (V pk)

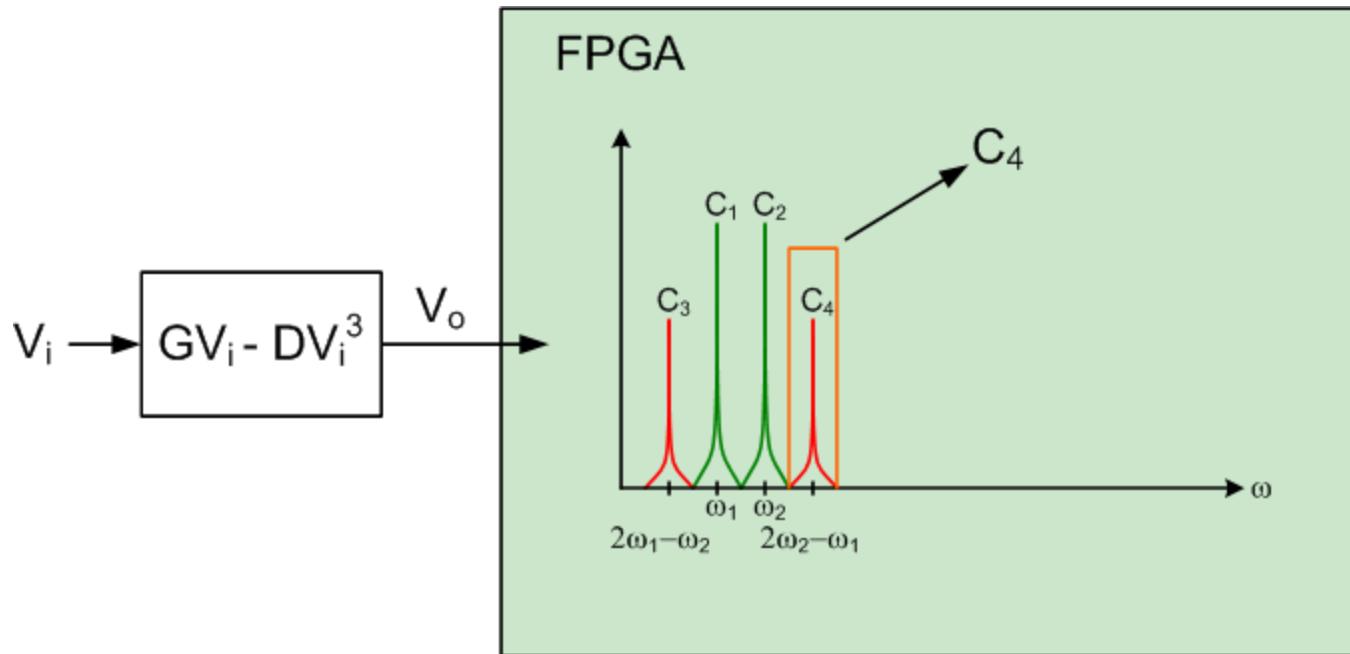
$$\theta_{Dpk} = \tan^{-1}\left(\frac{V_D}{V_{OUT}}\right)$$

$$\text{OIP}_3 = P_{\text{OUT}} - 10 \log(\tan \theta_{\text{Dpk}})$$









$$C_1 = GA_1 - \frac{3}{4}DA_1^3 - \frac{3}{2}DA_1A_2^2$$

$$C_2 = GA_2 - \frac{3}{4}DA_2^3 - \frac{3}{2}DA_1^2A_2$$

$$C_3 = -\frac{3}{4}DA_1^2A_2$$

$$C_4 = -\frac{3}{4}DA_1A_2^2$$

$$D = -\frac{4C_3}{3A_1^2A_2} = -\frac{4C_4}{3A_1A_2^2}$$

$$G = \frac{C_1}{A_1} - \frac{C_4}{A_1} \left(\frac{A_1^2}{A_2^2} + 2 \right) = \frac{C_2}{A_2} - \frac{C_3}{A_2} \left(\frac{A_2^2}{A_1^2} + 2 \right)$$

Direct?

$$V_i(V_o) = \frac{1}{\sqrt[3]{D}} \left(\sqrt[3]{-\frac{V_o}{2} + \sqrt{\frac{V_o^2}{4} - \frac{G^3}{27D}}} + \sqrt[3]{-\frac{V_o}{2} - \sqrt{\frac{V_o^2}{4} - \frac{G^3}{27D}}} \right)$$

NO.

Taylor Expansion?

$$V_i(x) = \sum_{n=0}^{\infty} \frac{1}{n!} \frac{d^n V_i(c)}{dV_o^n} (x - c)^n$$

PLEASE NO!

Newton's Method?

$$V_{i_{n+1}} = V_{i_n} - \frac{f(V_{i_n})}{f'(V_{i_n})} = \frac{2DV_{i_n}^3 - V_o}{3DV_{i_n}^2 - G}$$

Newton's Method in an FPGA

